

***In Vivo* Morphological and Inflammatory IVUS Imaging Biomarkers for Coronary Atherosclerotic Lesions**

Jacques Ohayon, PhD

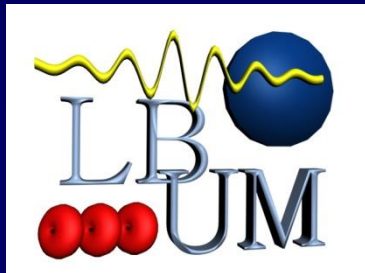
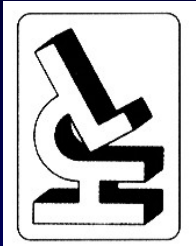
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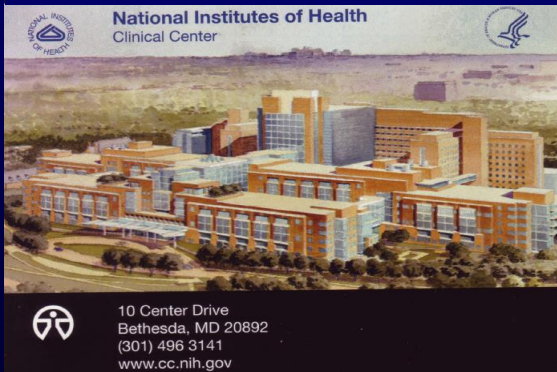
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Collaborators



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France



Gérard Finet, MD, PhD

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Atherosclerosis - Background -

Myocardial infarction

> 1.3 million Americans since 2008

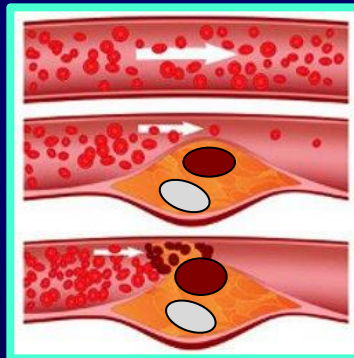
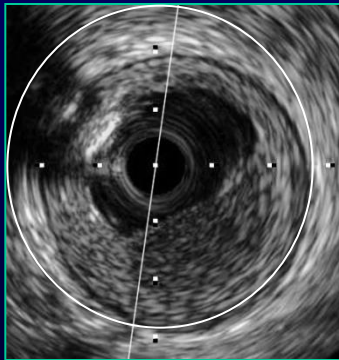
Stroke

Every 45 seconds someone in the United States has a stroke

Atherosclerotic plaque rupture

Depends on mechanical properties

IVUS/OCT Imaging

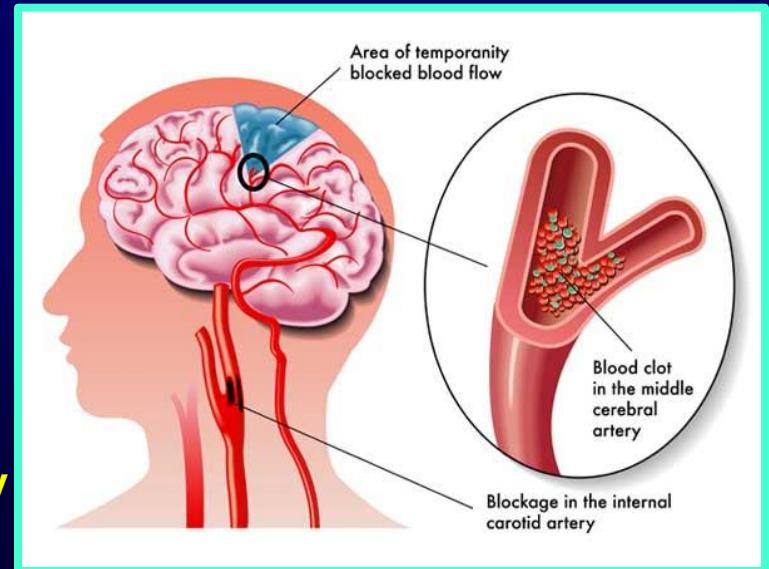
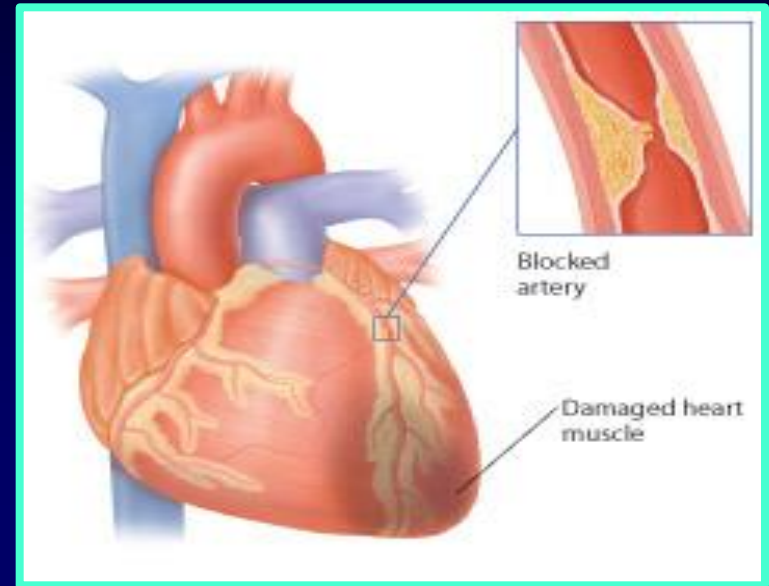


Elasticity map

→ Wall stress

→ Plaque vulnerability

→ Diagnosis

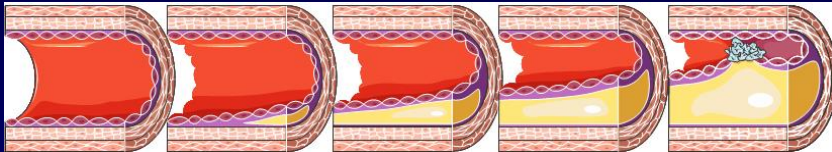


Atherosclerotic Coronary Plaque

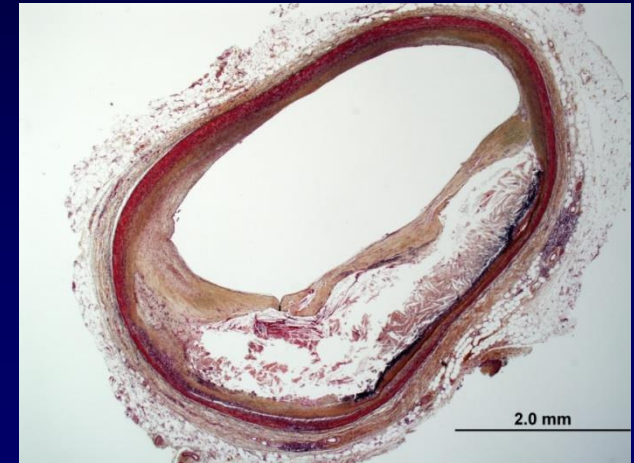
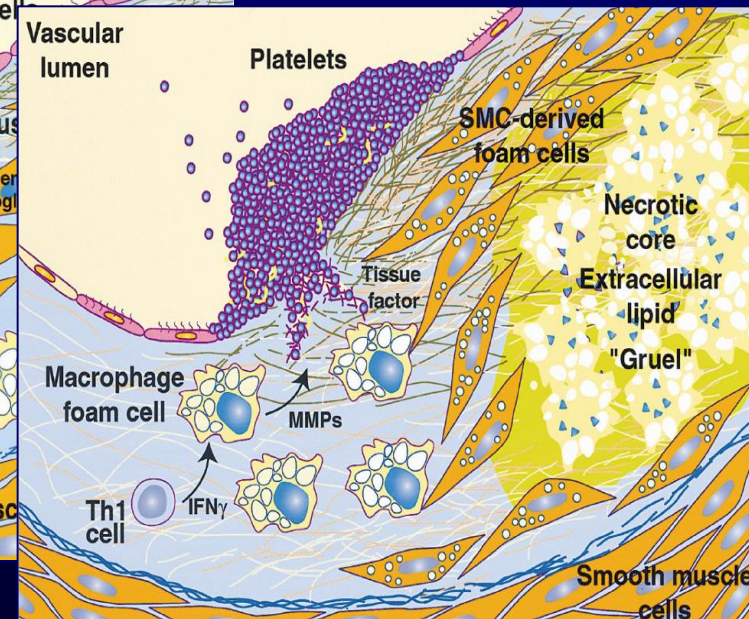
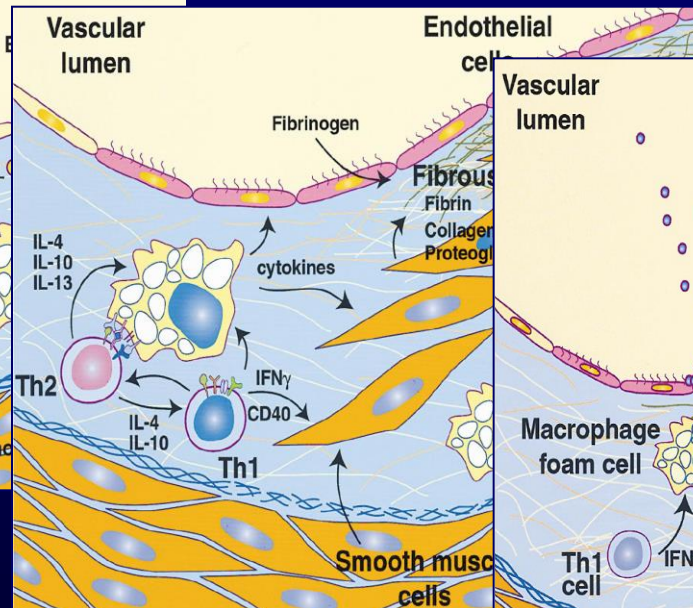
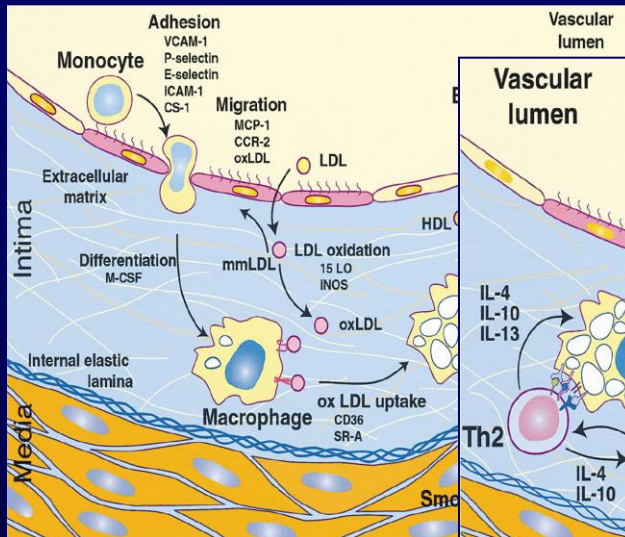
- Background -

Courtesy of Dr R. Virmani, CVPath, MD, USA.

Plaque growth process & rupture



Cascade of Biological Events

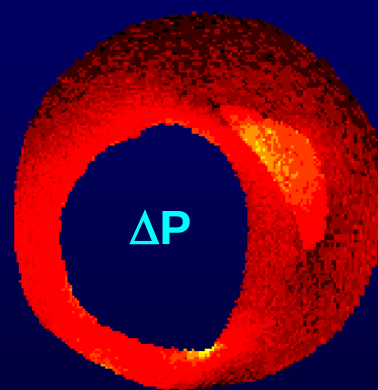
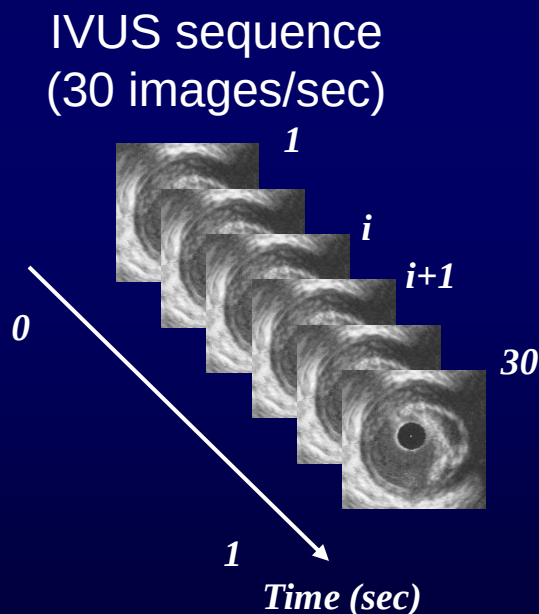
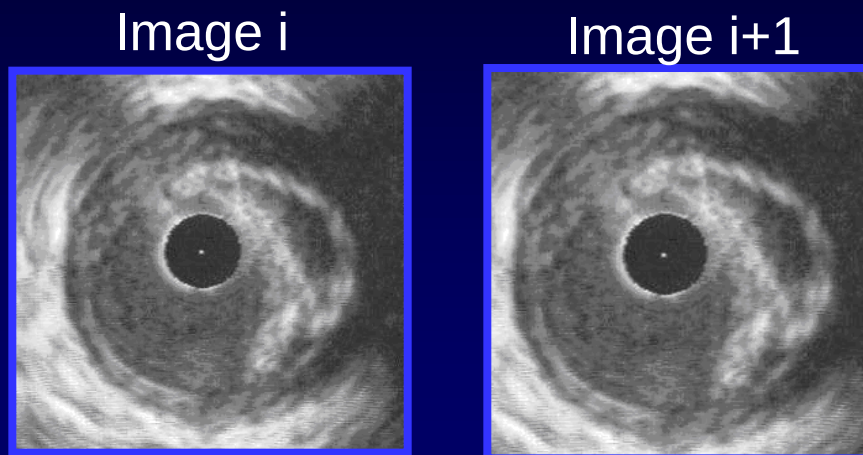


(Glass CK. *Cell* 2001)

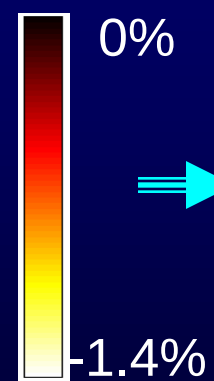
Elasticity Imaging Techniques

Input of the Inverse Problem: Radial Strain Field

Estimation of strain
using two
successive images
(Optical flow approach –
LBUM of Montréal)



Radial strain

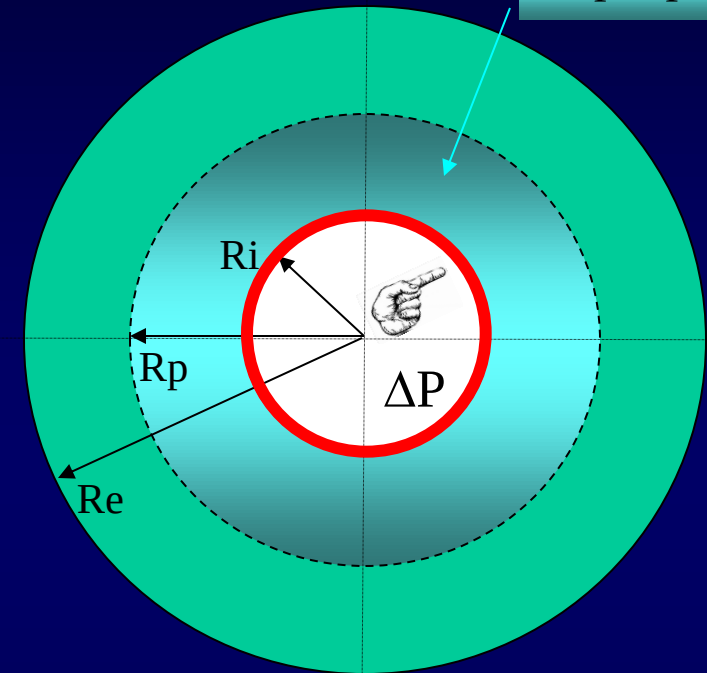


Palpogram
& Plaque
Elasticity
Map ?

The Elasticity-Palpography Technique for Vulnerable Plaque Detection

- Theoretical Framework -

Ω_{palpo}



Stress-strain modulus (E_{palpo}) palpogram

$$E_{palpo}(\theta) = \frac{\left| \int_{R_i(\theta)}^{R_p(\theta)} \sigma_{rr}(r, \theta) dr \right|}{\left| \int_{R_i(\theta)}^{R_p(\theta)} \varepsilon_{rr}(r, \theta) dr \right|} = \frac{\text{mean radial stress}(\theta)}{\text{mean radial strain}(\theta)}$$

IVUS

Assuming:

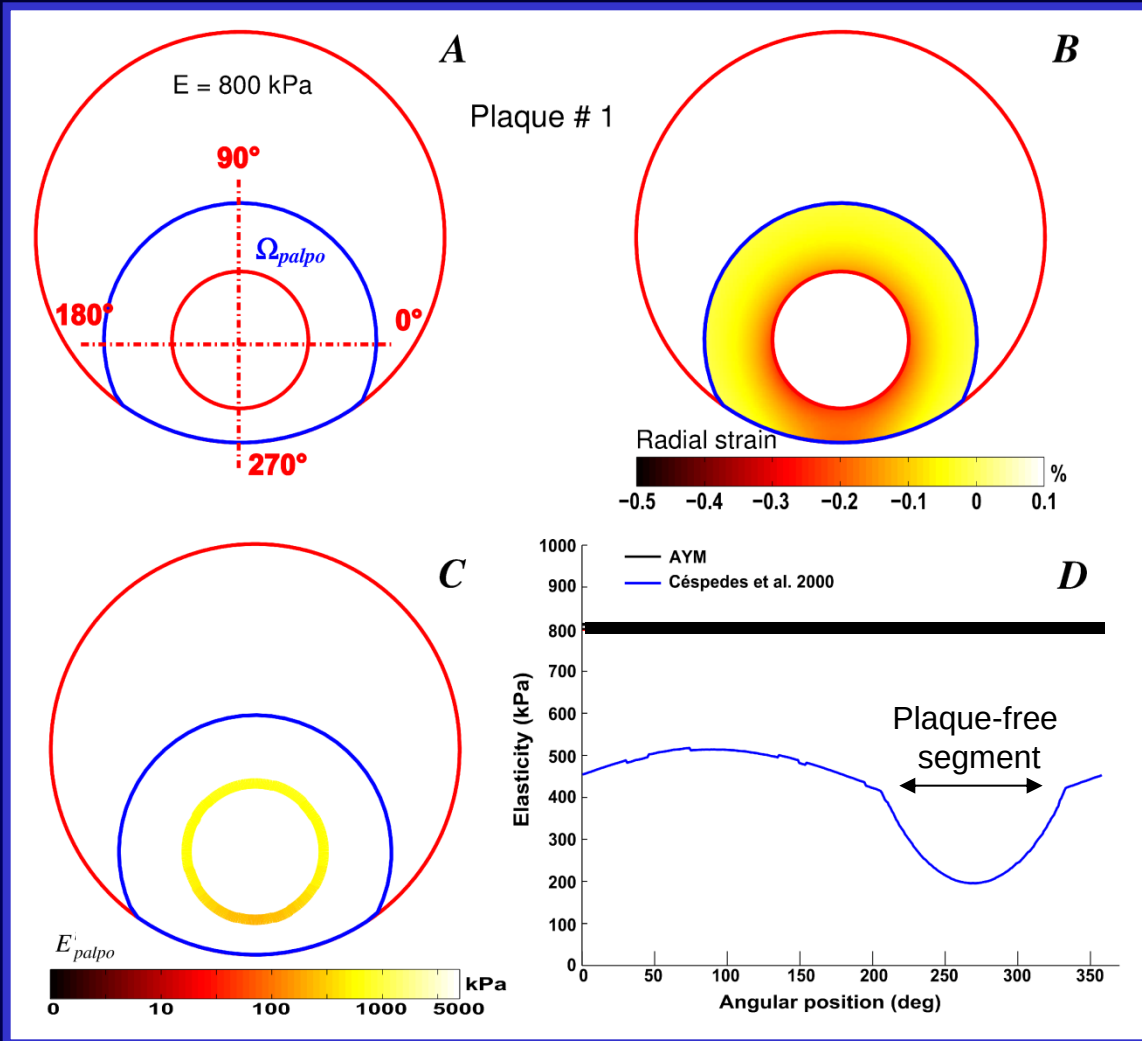
- Concentric plaque
- Specific circular palpography domain ($R_p = 1.8R_i$ if $R_e = 3R_i$)
- Isotropic & Incompressible medium



Approximated E_{palpo}

$$E_{palpo}^{Céspedes et al.}(\theta) = \frac{\Delta P / 2}{\varepsilon(\theta)}$$

The Palpography Technique : *Limitations*



$$E_{palpo}^{Céspedes et al.}(\theta) = \frac{\Delta P / 2}{\varepsilon(\theta)}$$

Averaged Young's modulus palpogram

$$AYM(\theta) = \frac{1}{R_p(\theta) - R_i(\theta)} \int_{R_i(\theta)}^{R_p(\theta)} E(r, \theta) dr$$

Limitations:

- E_{palpo} is very sensitive to both plaque and palpography domain geometries.
- The plaque Young's modulus E can not be approximated knowing the E_{palpo}

The Palpography Technique Revisited

-Theoretical Framework -

Redefined stress-strain modulus palpogram

$$E_{palpo}^{revisited}(\theta) = \frac{3}{2} \frac{\left| \int_{R_i(\theta)}^{R_p(\theta)} \sigma_{rr}^{dev}(r, \theta) dr \right|}{\left| \int_{R_i(\theta)}^{R_p(\theta)} \varepsilon_{rr}(r, \theta) dr \right|}$$

Assuming:

- Isotropic & Incompressible medium

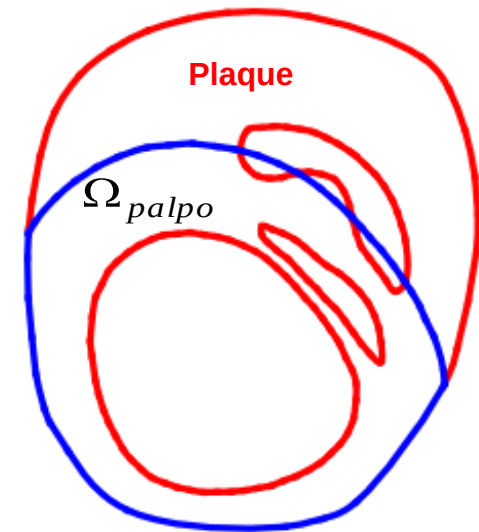
Whatever the geometries of the:

- whole plaque
- palpography domain

Shape function
(FEA)

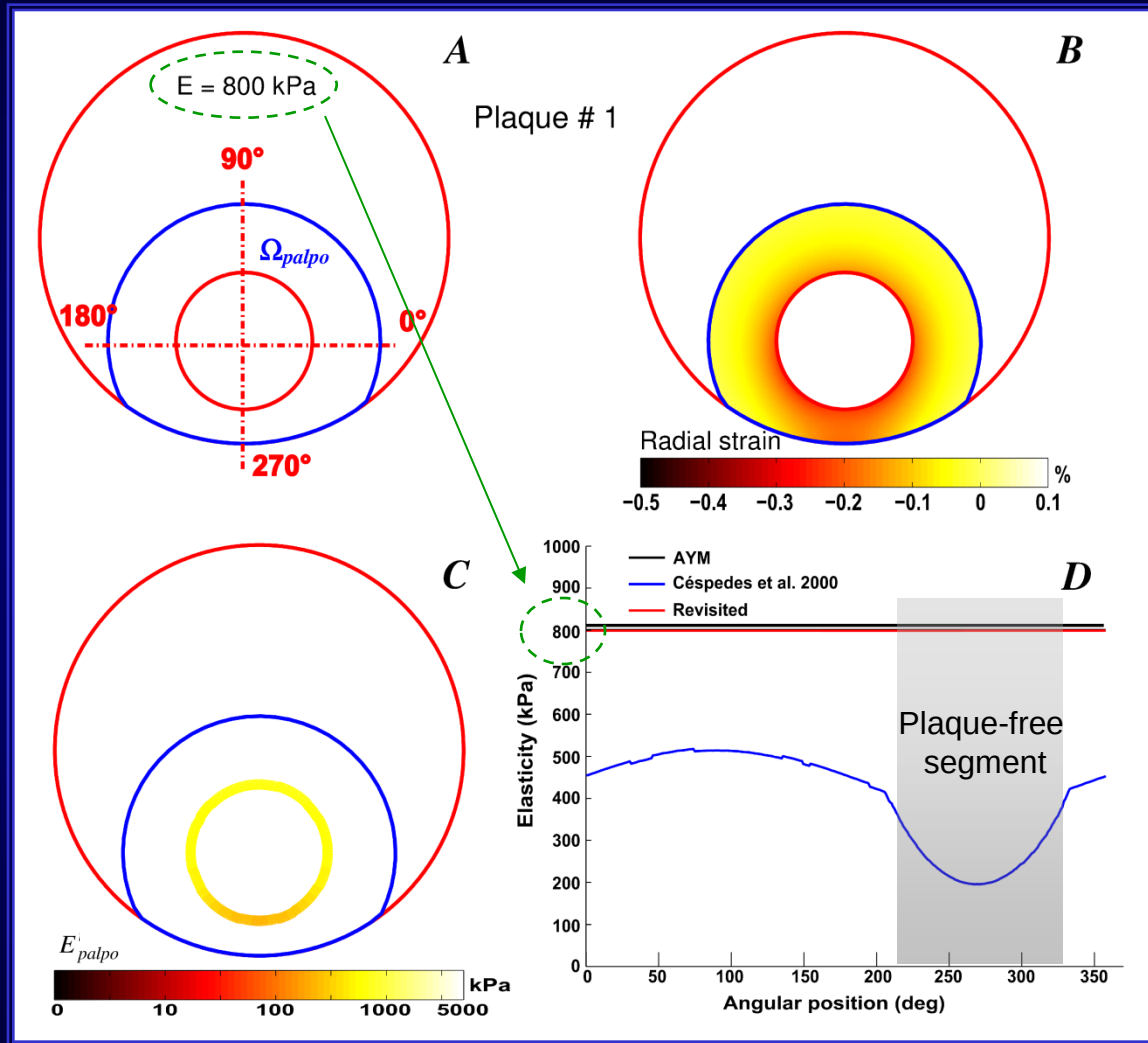
$$E_{palpo}^{revisited}(\theta) = \frac{\Delta P \left| \int_{R_i(\theta)}^{R_p(\theta)} g^{iso}(r, \theta) dr \right|}{\left| \int_{R_i(\theta)}^{R_p(\theta)} \varepsilon_{rr}(r, \theta) dr \right|} :$$

Revisited approximated E_{palpo}
accounts for real plaque and
palpography domain geometries.



The Palpography Technique Revisited

- Results -



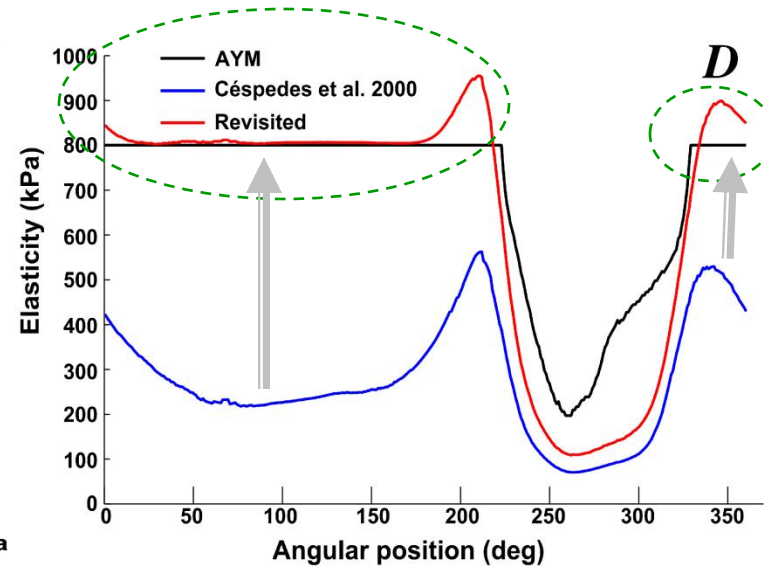
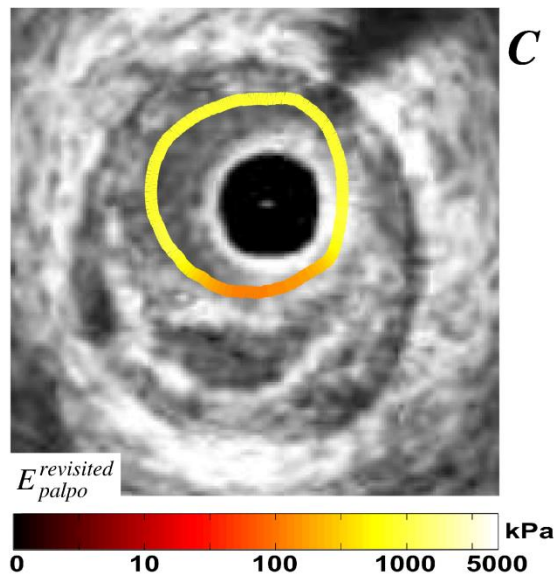
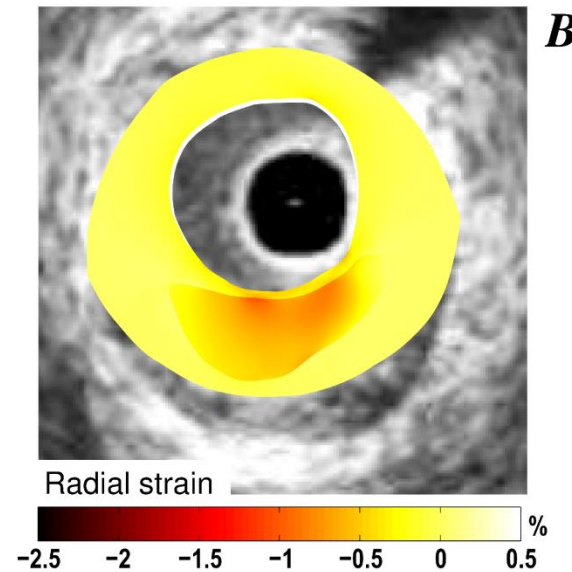
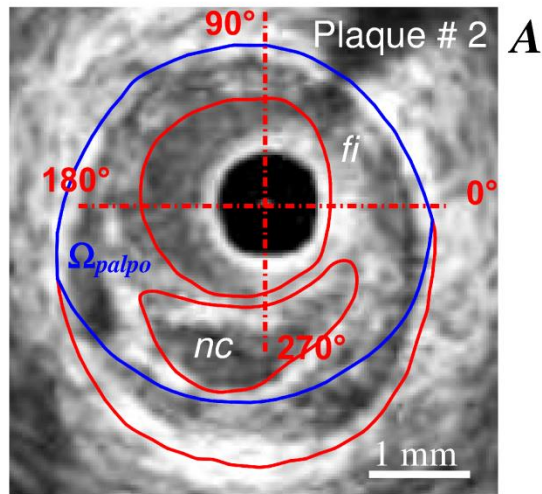
$$E_{palpo}^{Céspedes et al.}(\theta) = \frac{\Delta P / 2}{\varepsilon(\theta)}$$

Averaged Young's modulus
palpogram

$$AYM(\theta) = \frac{1}{R_p(\theta) - R_i(\theta)} \int_{R_i(\theta)}^{R_p(\theta)} E(r, \theta) dr$$

The Palpography Technique Revisited

- Results -



$E_{nc} = 5$ kPa

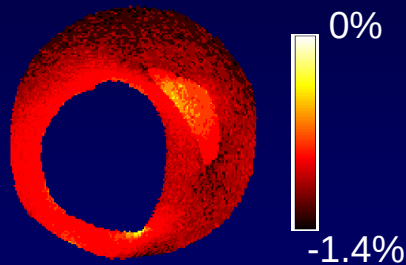
$E_{fi} = 800$ kPa

Simulated RF
data with FieldII

Elasticity Imaging Technique

The Algorithm

Strain elastogram



Optical flow approach
(LBUM- Montréal)

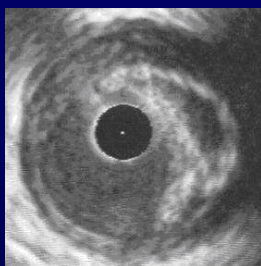
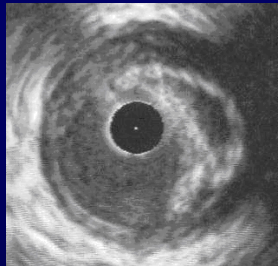


Image i

Image $i+1$

IVUS sequence



Step 1: **Smart Automatic segmentation** of plaque heterogeneities based on the **mechanical criterion**

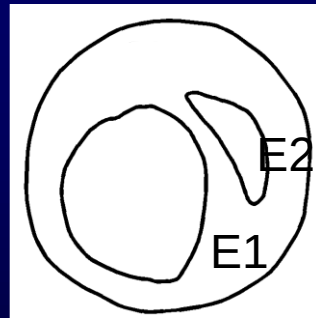
Originality++

The criterion

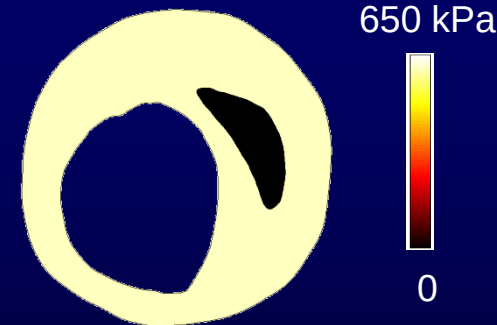
$$\vec{H} = - [\varepsilon]^{-1} \nabla \cdot [\varepsilon]$$



Step 2: Optimization



Young's Modulus Map



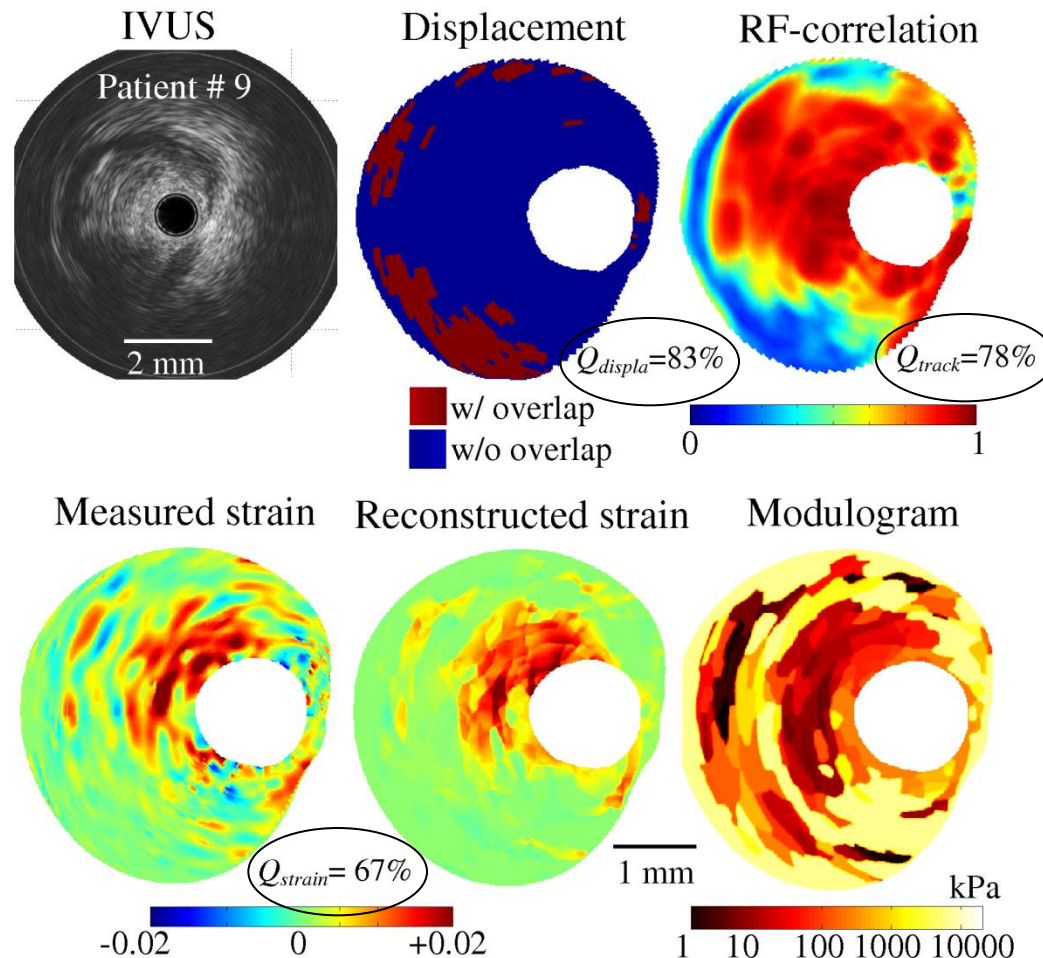
++ Approach Based on Continuum Mechanics Theory

Imaging Technique Performance

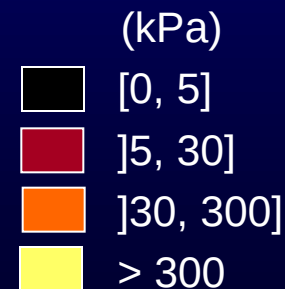
Inflammatory Process

Population: 12 patients, Directional
Coronary Atherectomy (DCA)
(Sendai University Hospital, Japan)

Cap thickness = 290 μm

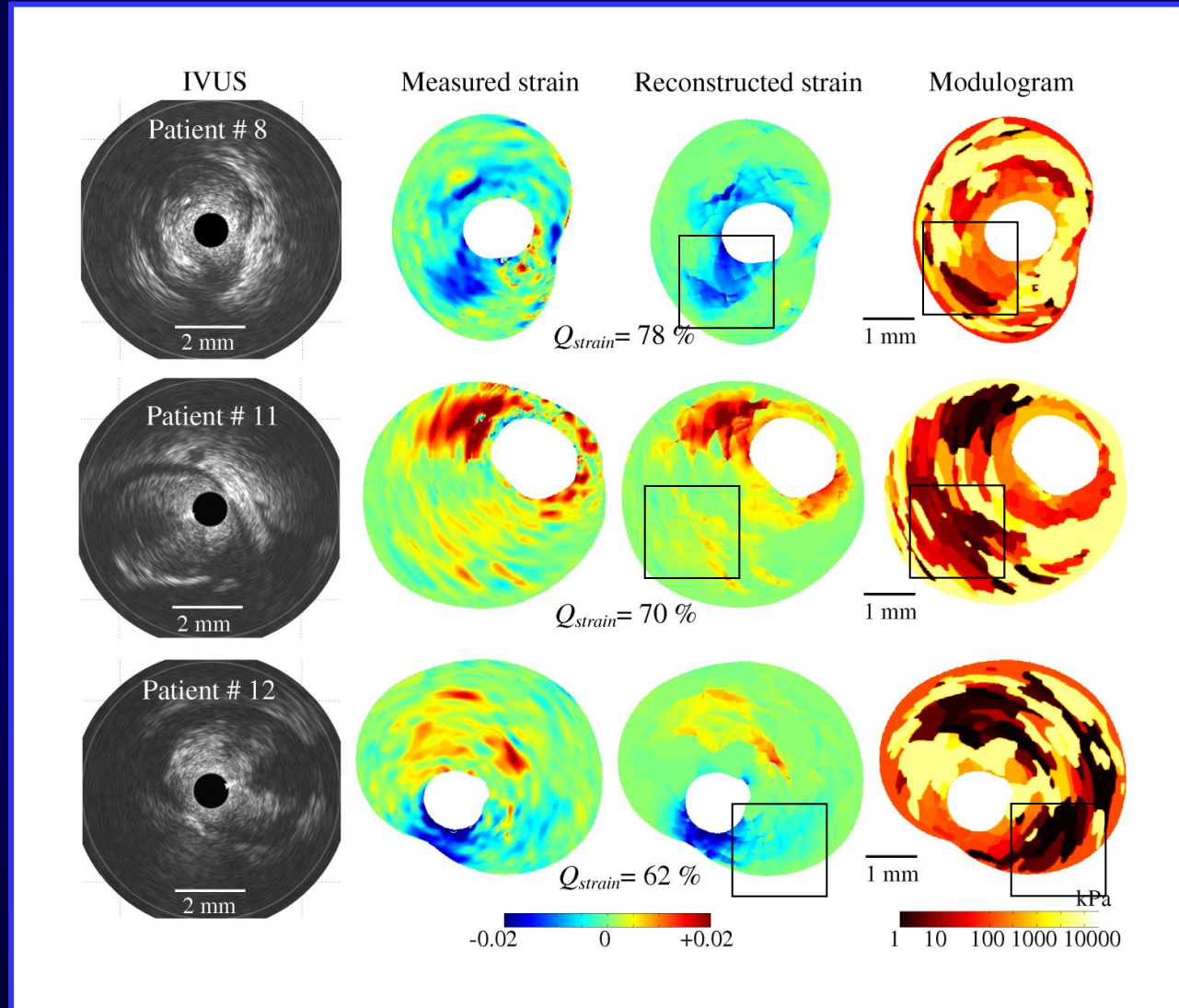


Patient # 9



Imaging Technique Performance

Strain Elastograms are not Sufficient to highlight VPS



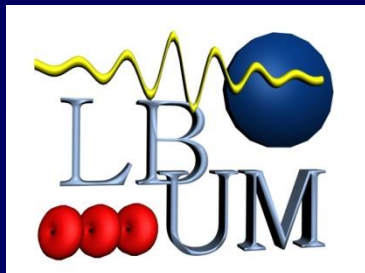
Such clinical tool will be used to :

- ➡ detect vulnerable plaques based on **OCT** (Coronary) and **MRI** (Carotid, Aorta) sequences
- ➡ explore *in vivo* the **effects of a specific drug therapy (Statins)** on the stabilization of vulnerable plaques

Works in progress :

- ➡ **Strengthen the validation study**
(aorta of **Watanabe rabbits**: HD-IVUS + Elastography + AFM + Histology)

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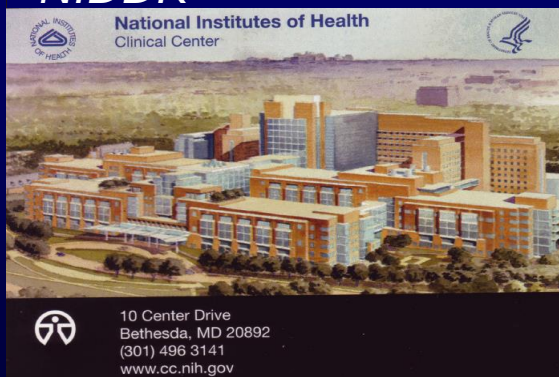
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Thank you